

FOCAL LENGTH OF LENSES

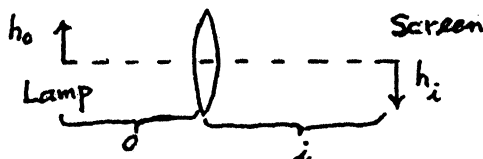
OBJECTIVE: To measure the focal length of convex (positive or convergent) lenses and concave (negative or divergent) lenses.

APPARATUS: Optical bench, lens holders, screen, illuminated object (lamp) convex lenses, concave lenses

THEORY: The lens equation $(1/o) + (1/i) = (1/f)$ holds both for convex and concave lenses, and for real and virtual objects and images. o is object-to-lens distance, i is image-to-lens distance, f is focal length of lens. Magnification M is $h_i/h_o = i/o$, where h_i is image size, h_o is object size.

PROCEDURE FOR CONVEX LENS:

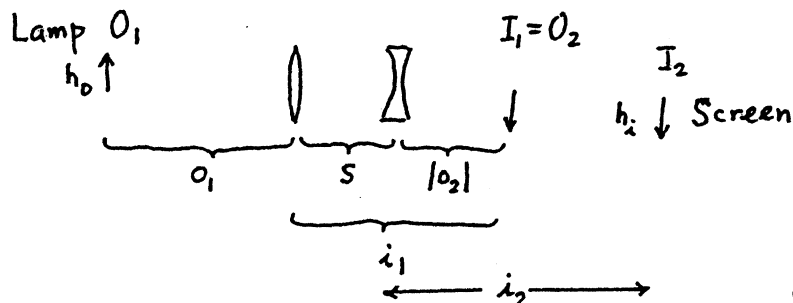
1. Place the lamp and screen on the optical bench about 40 cm apart. Place the convex lens in between the lamp and the screen. Adjust the lens position until a sharp image is formed on the screen. Record object distance o , image distance i , object size h_o (size of arrow on lamp) and image size h_i (size of inverted arrow on screen). You will find two positions of the lens for which sharp images are produced. Use the lens equation to calculate focal length f . Calculate M from h_i/h_o and from i/o . You should obtain comparable values.



2. Repeat the above procedure for other distances between the lamp and the screen.

PROCEDURE FOR CONCAVE LENS:

Since a concave lens does not form a real image, it is necessary to use an additional convex lens with known focal length f_1 . The focal length of concave lens will be denoted as f_2 . (f_1 is positive; f_2 is negative). When a sharp image is observed on the screen, record the distances o_1, s, i_2 . Also, record the object size h_o (size of arrow on lamp) and image size h_i (image size of arrow on screen). Calculate $M = h_i/h_o$.



First image (I_1) is same as second object (O_2).

$$(1/o_1) + (1/i_1) = 1/f_1$$

$$(1/o_2) + (1/i_2) = 1/f_2$$

$$o_2 = s - i_1 \quad o_2 \text{ is negative!}$$

Compare M with $(i_1/o_1)(i_2/o_2)$.

2. Repeat the above procedure for other distances.